



Production of hadrons with large transverse momentum in DIS at NLO *

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We compute the order α_s^2 corrections to the one particle inclusive electroproduction cross section of hadrons with non vanishing transverse momentum. We perform the full calculation analytically, and obtain the expression of the factorized (finite) cross section at this order. We compare our results with H1 data on forward production of π^0 , and discuss the phenomenological implications of the rather large higher order contributions obtained in that case.

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1. Introduction

The study of the hadronic final state in deep inelastic scattering (DIS) provides an excellent opportunity to explore and test the main components of quantum chromodynamics: the structure of the hadronic initial state, the hadronization process and the higher order corrections in perturbation theory. Furthermore, both ZEUS and H1 experiments at HERA have produced many interesting and precise measurements of a variety of processes and these results are ever expanding and improving their accuracy. Some processes studied are, for example, different observables in jet production [1, 2], production of heavy flavors [3, 4] and semi-inclusive production of light hadrons [5],

The theoretical description of DIS processes beyond the totally inclusive one becomes more and more involved due to the delicate cancellation of singularities between real and virtual contributions. Recently there has been progress in the calculation of NLO corrections to the production of light hadrons with large transverse momentum [6, 7, 8]. In what follows we summarize the results obtained in the analytic calculation of [6].

2. Outline of the calculation

We consider the process

$$l(l) + P(P) \longrightarrow l'(l') + h(P_h) + X$$

where a lepton of momentum l scatters off a nucleon of momentum P with a lepton of momentum l' and a hadron h of momentum P_h tagged in the final state. Omitting target fragmentation, discussed at length in [9, 10] and that only contributes at zero transverse momentum, the cross section differential in transverse momentum and rapidity reads

$$\frac{d\sigma^{h}}{dx_{B}dQ^{2}dp_{T}^{2}d\eta} = \sum_{i,j,n} \frac{e^{-\eta}\sqrt{S}}{|p_{T}|(Q^{2}+S)} \int_{e^{\eta}\frac{|p_{T}|}{\sqrt{S}}}^{\frac{e^{2\eta}}{1+e^{2\eta}}} \frac{dy}{1-y} \int_{0}^{1-\frac{y}{1-y}e^{-2\eta}} \frac{dz}{1-z} f_{i}(\xi) D_{h/j}(\zeta) \frac{d\sigma_{ij}^{(n)}}{dx_{B}dQ^{2}dydz}.$$
(2.1)

The partonic cross sections in Eq. (2.1) are calculated order by order in perturbation theory. For non vanishing transverse momentum, they start at order α_s . The NLO corrections involve processes with two and three particles in the final state, corresponding to virtual and real corrections respectively. Both these contributions present ultraviolet and infrared singularities. The former are canceled by coupling constant renormalization. A subset of the latter are universally factorized in the redefinition of parton densities and fragmentation functions, whereas the remaining ones must cancel when combining real and virtual terms. This cancellation is only achieved after the integration over the loop momenta and the remaining phase space of the corresponding matrix elements. The resulting partonic cross sections are, thus, free of any remaining singularity and can be combined, as in Eq. (2.1), with PDFs and fragmentation functions in numerical programs to evaluate the corresponding cross sections.

3. Comparison with experimental results

In Fig. 1 we compare our results for the production of neutral pions as a function of x_B with data obtained by the H1 experiment [5]. We show both the LO and NLO predictions, computed

with MRST02 PDFs [11] and the fragmentation functions of references [12] and [13]. The renormalization and factorization scales have been fixed, $\mu^2 = (Q^2 + p_T^2)/2$. On the right panel we plot the uncertainty of the NLO calculation due to the variation of these scales by a factor of 2... The



Figure 1: Results for the x_B distribution at NLO including the scale uncertainty.

NLO calculation reproduces fairly well the data. Strikingly, the corrections are several times larger that the LO contributions. Also the scale uncertainty is quite noticeable. These effects have been also observed in other processes in photon induced collisions [14, 15].

The rather large size of the NLO corrections can be understood as a consequence of the opening of a new dominant ('leading-order') channel, and not to the 'genuine' increase in the partonic



Figure 2: The x_B distribution discriminated by partonic process without and with the experimental cuts.

cross section that might otherwise threaten perturbative stability. The dominance of the new channel is due to the size of the gluon distribution at small x_B and to the fact that the H1 selection cuts highlight the kinematical region dominated by the $\gamma + g \rightarrow g + q + \bar{q}$ partonic process, as shown in

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Fig. 2. In particular, without the experimental cuts for the final state hadrons, the gg component represents less than 25% of the total NLO contribution at small x_B , which is dominated by the gq subprocess. The forward selection is also responsible of the scale sensitivity of the cross section, as it suppresses large components with small scale dependence whereas it stresses components as gg whose scale dependence would be partly canceled only at NNLO.

4. Conclusions

We have presented the analytical calculation of the differential cross section for semi-inclusive production of a hadron, with non vanishing transverse momentum, in DIS at next-to-leading-order in QCD. We found that the order α_s^2 corrections are important. We compared our results with recent data coming from the H1 experiment at HERA. Within the uncertainties arising from the scale dependence and the particular sensitivity of the results to the gluon hadronization mechanism, parameterized in the fragmentation functions, we found a very good agreement between data and theoretical expectations for both the x_B and p_T distributions. We also found that the experimental cuts applied to the H1 data play a crucial role, boosting the NLO corrections. The main contributions to these corrections come from the partonic subprocess $\gamma + g \rightarrow g + q + \bar{q}$ which appears for the first time at that order. The appearance of new channels also leads to quite a significant factorization scale dependence even at the NLO level. Thus, after the experimental cuts, the contributions of order α_s^2 effectively resemble a LO description.

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